

Ex. 25.3: a) Cu: $n = 8.5 \times 10^{28} \text{ e}^-/\text{m}^3$, $L = 0.710 \text{ m}$, $D = 2.05 \times 10^{-3} \text{ m}$

$$I = 4.85 \text{ A} = JA = neN_d A, \text{ so } N_d = \frac{4.85 \text{ A}}{(8.5 \times 10^{28} \text{ m}^{-3})(1.6 \times 10^{-19} \text{ C})}$$

$$\frac{1}{\frac{\pi}{4}(2.05 \times 10^{-3} \text{ m})^2} = 1.1 \times 10^{-4} \text{ m/s} = 0.11 \text{ mm/s.}$$

$$\text{Transit time} = \frac{0.710 \text{ m}}{0.108 \times 10^{-3} \text{ m/s}} = 6.6 \times 10^3 \text{ s (almost 2 hours.)}$$

b) Same calculation, but with $D = 4.12 \times 10^{-3} \text{ m}$.

$$N_d = N_d(\text{part a}) \cdot \left(\frac{2.05 \times 10^{-3} \text{ m}}{4.12 \times 10^{-3} \text{ m}}\right)^2 = 2.67 \times 10^{-5} \text{ m/s.}$$

$$\text{so } T = \frac{0.710}{2.67 \times 10^{-5} \text{ m/s}} = 2.66 \times 10^4 \text{ s} = 440 \text{ min.} = \boxed{7.4 \text{ hrs.}}$$

c) $N_d \sim \frac{1}{D^2}$, everything else held constant.

Ex. 25.17: a) $J_c = 1.0 \times 10^5 \text{ A/cm}^2$, $D(18 \text{ gauge}) = 1.02 \times 10^{-3} \text{ m}$

$$I_{\text{max}} = J_c A = J_c \cdot \frac{\pi}{4} D^2 = \boxed{820 \text{ A.}}$$

b) $J_c = 1.0 \times 10^6 \text{ A/cm}^2$, $I = 10^3 \text{ A}$, so $\text{Area} = I/J_c = 1.0 \times 10^{-3} \text{ cm}^2$

$$D = \left(\frac{4A}{\pi}\right)^{1/2} = \boxed{3.6 \times 10^{-2} \text{ cm}^2}$$

Ex. 25.35: (See Figure 25.33 on p. 975): $V_{\text{open}} = 3.08 \text{ V}$

$$V_{\text{open}} = \mathcal{E}, \quad V_{\text{closed}} = \mathcal{E} - Ir$$

$$V_{\text{closed}} = 2.97 \text{ V}$$

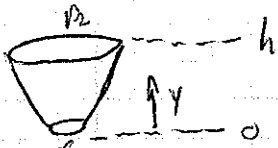
$$A = 1.65 \text{ A}$$

$$\text{so } V_{\text{open}} - V_{\text{closed}} = Ir = 0.11 \text{ V}$$

$$\text{hence } r = \frac{0.11 \text{ V}}{1.65 \text{ A}} = \boxed{0.067 \Omega} \quad \mathcal{E} = V_{\text{open}} = \boxed{3.08 \text{ V}}$$

$$R = V_{\text{closed}}/I = 2.97 \text{ V}/1.65 \text{ A} = \boxed{1.80 \Omega}$$

$$\text{Ex. 25.43: } P = IV = (0.80 \text{ A})(650 \text{ V}) = \boxed{520 \text{ W}}$$

Prob. 25.59:  (See Figure 25.36, p. 977).

a) For each slice, $dR = \frac{\rho dy}{\pi r^2}$

$$\text{Now } r(y) = r_1 + \frac{r_2 - r_1}{h} y, \text{ so } y = (r - r_1) \cdot \frac{h}{r_2 - r_1}$$

$$dy = \frac{h}{r_2 - r_1} dr, \quad R = \int_0^h dR = \int_{r_1}^{r_2} \frac{\rho}{\pi} \cdot \frac{h}{r_2 - r_1} \cdot \frac{dr}{r^2} = \frac{\rho}{\pi} \cdot \frac{h}{r_2 - r_1} \cdot \left. -\frac{1}{r} \right|_{r_1}^{r_2}$$

$$s. R = \frac{\rho}{\pi} \cdot \frac{h}{r_2 - r_1} \cdot \left(\frac{1}{r_1} - \frac{1}{r_2} \right) \cdot \frac{r_1 r_2}{r_1 r_2} = \frac{\rho}{\pi} \frac{h (r_2 - r_1)}{r_1 r_2 (r_2 - r_1)} = \boxed{\frac{\rho h}{\pi r_1 r_2}}$$

b) when $r_1 = r_2 = r$, $R = \frac{\rho h}{\pi r^2} = \frac{\rho h}{A} \checkmark$

Problem 25.66: $R = 10^4 \Omega$, $V = 14.4 \times 10^3 V$, $r = 2 \times 10^3 \Omega$

a) ~~V~~ $I = \frac{1.44 \times 10^4 V}{10^4 \Omega + 2 \times 10^3 \Omega} = \boxed{1.2 A}$ b) $P = I^2 R = (1.2 A)^2 \cdot 10^4 \Omega = \boxed{1.4 \times 10^4 W}$ (leth!)

c) $I = 10^{-3} A = 1.00 mA$, $R = r + 10^4 \Omega$, so
 $1.44 \times 10^4 V = (1.00 \times 10^{-3} A)(10^4 \Omega + r)$ so
 $10^4 \Omega + r = 1.44 \times 10^7 \Omega$, so $r = \boxed{1.44 \times 10^7 \Omega}$

Extra Credit: C.P. 25.82: (See Figure 25.40, p. 979):

$$2.00 V = V_{diode} + I \cdot (1.00 \Omega) \Rightarrow$$

$$2.00 V = V + I \left[e^{\frac{eV}{kT}} - 1 \right] \cdot 1.00 \Omega \quad \boxed{2.00 V - V = I_s \left[e^{\frac{eV}{kT}} - 1 \right]}$$

Now $I_s = 1.50 mA$, $T = 293 K$, so $I_s = 1.50 \times 10^{-3} A$,

$$\frac{e}{kT} = \frac{1.60 \times 10^{-19} C}{(1.38 \times 10^{-23} J/K)(293 K)} = \underline{39.6 V^{-1}}$$

$$s. (2.00 V) - V = (1.50 \times 10^{-3} A) \left[e^{(39.6 V^{-1}) \cdot V} - 1 \right]$$

don't get confused. V is both the unit of volts and V is the variable that we are solving for! Bad notation. See ~~pt~~ for the solution. Notice that the best value is $V = \boxed{0.17935 V}$

22-141 50 SHEETS
 22-142 100 SHEETS
 22-144 200 SHEETS



Problem Set #10, Cont.

③

V (volts)	2.00volts - V	Right-hand side (volts)	LHS-RHS (volts)
0	2	0	2
0.01	1.99	0.000728804	1.989271196
0.02	1.98	0.001811711	1.978188289
0.03	1.97	0.00342077	1.96657923
0.04	1.96	0.005811622	1.954188378
0.05	1.95	0.009364114	1.940635886
0.06	1.94	0.014642654	1.925357346
0.07	1.93	0.022485875	1.907514125
0.08	1.92	0.034139875	1.885860125
0.09	1.91	0.051456197	1.858543803
0.1	1.9	0.077185989	1.822814011
0.11	1.89	0.115417097	1.774582903
0.12	1.88	0.172223527	1.707776473
0.13	1.87	0.256630458	1.613369542
0.14	1.86	0.382048127	1.477951873
0.15	1.85	0.568402394	1.281597606
0.16	1.84	0.845300482	0.994699518
0.17	1.83	1.256734854	0.573265146
0.171	1.829	1.307560663	0.521439337
0.172	1.828	1.360439558	0.467560442
0.173	1.827	1.41545447	0.41154553
0.174	1.826	1.472691685	0.353308315
0.175	1.825	1.532240969	0.292759031
0.176	1.824	1.59419572	0.22980428
0.177	1.823	1.658653103	0.164346897
0.178	1.822	1.725714213	0.096285787
0.179	1.821	1.795484225	0.025515775
0.1791	1.8209	1.802614391	0.018285609
0.1792	1.8208	1.809772848	0.011027152
0.1793	1.8207	1.816959709	0.003740291
0.1794	1.8206	1.824175087	-0.003575087
0.1795	1.8205	1.831419094	-0.010919094

} say $V = 0.17935 \pm .00005 V$